3 phase PFC and APF application with TI C2000 MCU

Igor AN C2000 System Application Engineer

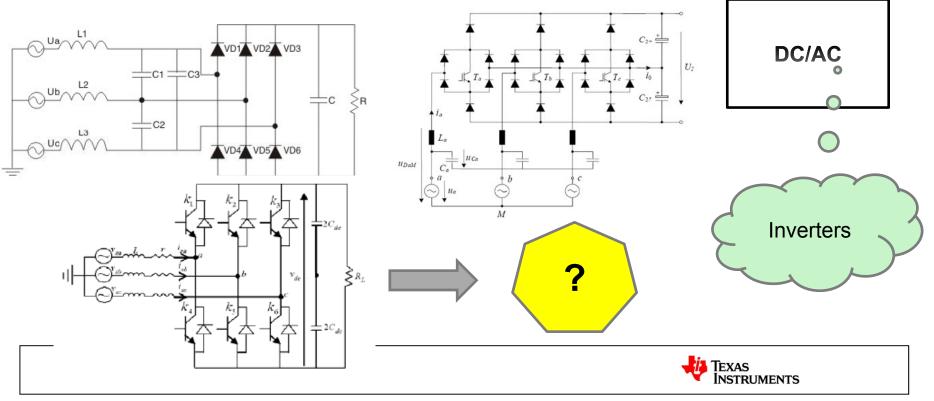


Content

- Introduction
- PFC Application
 - Software Design
 - Close-Loop Controller
- APF Application
 - Software Design
 - Close-Loop Controller
- *Unbalanced grid voltage treatment
- TI EVM Implementation



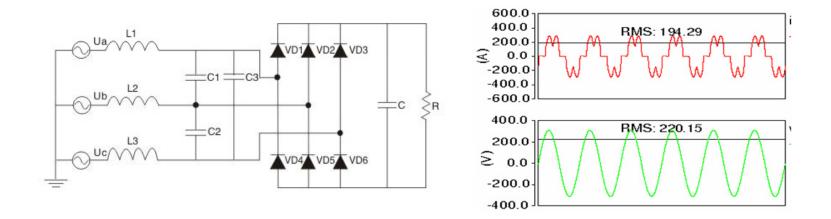
- 3 phase Power electronics rectifier device
 - Objectives
 - AC to Dc , get constant Dc Voltage
 - Harmonic regulation/compensation
 - Active power/reactive power regulation/compensation



Rectifiers APF

AC/DC

• Three Phase PFC Topology - 6 Pulse + SCR + LC

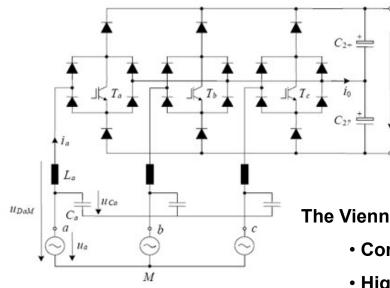


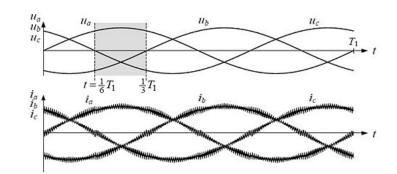
It is a non-controllable rectifier, the input current contains many harmonic waves. (ie, 5,7,11,13....)

So the PF and the THDi performance is bad.



Three Phase PFC Topology - Vienna topology





The Vienna topology is a controllable active power rectifier.

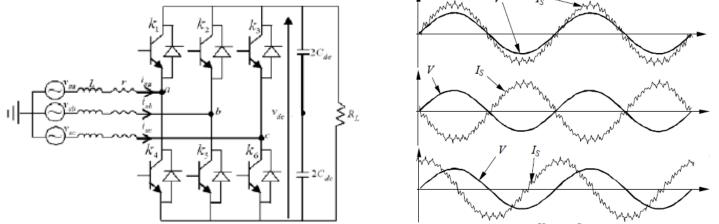
- Controllable output voltage and BUS balance
- High PF and low THDi
- High efficiency

 U_2

- The controller is complicated
- Worse EMI than passive AC-DC
- inreversible current



Three Phase PFC Topology - 3 phase 2-level PWM rectifier



The 3-phase PWM rectifier topology is a controllable active power rectifier.

- Controllable output voltage.
- High PF and low THDi, controllable PF
- Can share the same board with 3 phase inverter
- High efficiency
- The controller is complicated
- Worse EMI than passive AC-DC

•Reversible bi-direction current





Harmonic related Standards

- IEEE-std-519-1992 Total THDI < 5%
- IEC_61000-3-2-2009
- GB-T_14549-1993



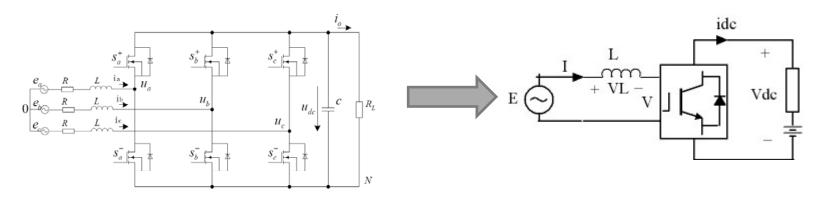
Content

- Introduction
- PFC Application
 - Modeling
 - Control Loop Structure
- APF Application
 - Modeling
 - Control Loop Structure
- *Unbalanced grid voltage treatment
- TI EVM Implementation



PFC Application

• 3-Phase 2-level PWM Rectifier principle



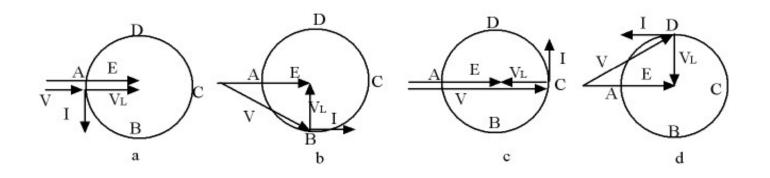
The PWM Rectifier can be equivalent to the figure above, then we can get the the equation:

$$E = V_L + V$$
$$i_{ac} v_{ac} = i_{dc} v_{dc}$$



PFC Application

• Three Phase PWM Rectifier principle



When the *V* trace from the A to B in the above figure, the converter can work in rectifier mode, when the V at the B, then the we can get the highest power factor.

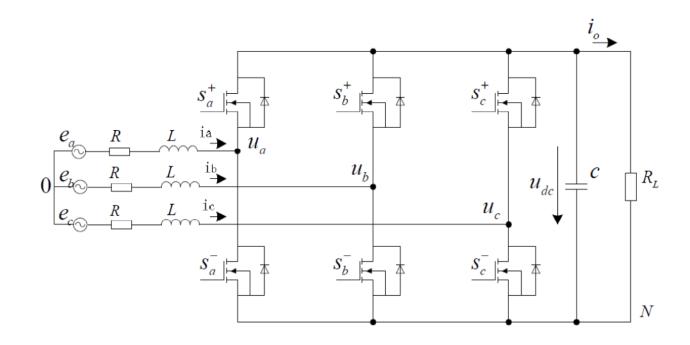
Control Objective:

-Constant Bus Voltage

-Sinusoidal current wave, PF= 1



Modeling



- e_a , e_b , $e_c \rightarrow$ source voltages;
- $i_a, i_b, i_c \rightarrow$ line currents;
- u_a , u_b , $u_c \rightarrow$ rectifier input voltages;
- $u_{dc} \rightarrow$
- bus voltage;

i_o
 R_L

R

С

٠

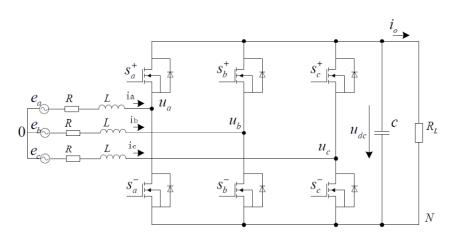
•

- \rightarrow resistance of the line reactor;
- \rightarrow inductance of the line reactor;
- \rightarrow smoothing capacitor;
- \rightarrow load current;
- \rightarrow resistance;



Modeling

$$\begin{cases} L\frac{di_{a}}{dt} + Ri_{a} = e_{a} - (u_{a} + u_{N0}) \\ L\frac{di_{b}}{dt} + Ri_{b} = e_{b} - (u_{b} + u_{N0}) \\ L\frac{di_{c}}{dt} + Ri_{c} = e_{c} - (u_{c} + u_{N0}) \\ C\frac{du_{dc}}{dt} = i_{a} * s_{a} + i_{b} * s_{b} + i_{c} * s_{c} - i_{0} \end{cases}$$



 $s_k = \begin{cases} 1, & \text{up switch closed, down switch opened} \\ 0, & \text{up switch opened, down switch closed} \end{cases}$

$$\begin{cases} u_k = u_{dc} * s_k, (k = a, b, c) \\ u_{N0} = -\frac{u_{dc}}{3} (s_a + s_b + s_c) \end{cases}$$

$$\begin{cases} L\frac{di_{a}}{dt} = e_{a} - \frac{u_{dc}}{3}(2d_{a} - d_{b} - d_{c}) \\ L\frac{di_{b}}{dt} = e_{b} - \frac{u_{dc}}{3}(2d_{b} - d_{a} - d_{c}) \\ L\frac{di_{c}}{dt} = e_{c} - \frac{u_{dc}}{3}(2d_{c} - d_{a} - d_{b}) \\ C\frac{du_{dc}}{dt} = (i_{a}d_{a} + i_{b}d_{b} + i_{c}d_{c}) - \frac{u_{dc}}{R} \end{cases}$$



Frequency domain model

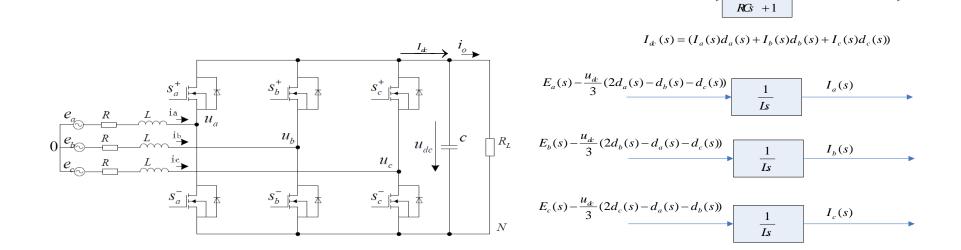
$$\begin{cases} L\frac{di_{a}}{dt} = e_{a} - \frac{u_{dc}}{3}(2d_{a} - d_{b} - d_{c}) \\ L\frac{di_{b}}{dt} = e_{b} - \frac{u_{dc}}{3}(2d_{b} - d_{a} - d_{c}) \\ L\frac{di_{c}}{dt} = e_{c} - \frac{u_{dc}}{3}(2d_{c} - d_{a} - d_{b}) \\ C\frac{du_{dc}}{dt} = (i_{a}d_{a} + i_{b}d_{b} + i_{c}d_{c}) - \frac{u_{dc}}{R} \end{cases}$$

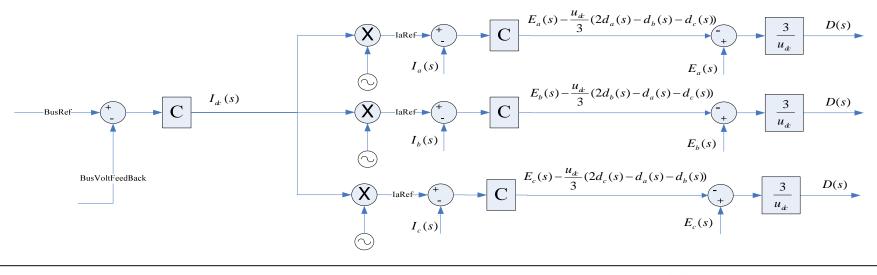


$$\begin{cases} LsI_{a}(s) = E_{a}(s) - \frac{u_{dc}}{3}(2d_{a}(s) - d_{b}(s) - d_{c}(s)) \\ LsI_{b}(s) = E_{b}(s) - \frac{u_{dc}}{3}(2d_{b}(s) - d_{a}(s) - d_{c}(s)) \\ LsI_{c}(s) = E_{c}(s) - \frac{u_{dc}}{3}(2d_{c}(s) - d_{a}(s) - d_{b}(s)) \\ CU_{dc}(s) = (I_{a}(s)d_{a}(s) + I_{b}(s)d_{b}(s) + I_{c}(s)d_{c}(s)) - \frac{U_{dc}(s)}{R} \end{cases}$$



abc ordinate model & Direct Current Control







 $U_{de}(s)$

 $I_{d}(s)$

R

abc ordinate model & Direct Current Control

- In steady state, and with the balanced input voltage Ua + • Ub + Uc = 0, Ia + Ib + Ic = 0,
- so the hypotheses could be made: •

 $d_{a}(s) + d_{b}(s) + d_{c}(s) = 0$

 $E_a(s) - u_{dx} d_a(s)$ С IaRef u_{dc} $I_a(s)$ $E_{a}(s)$ $E_b(s) - u_d d_b(s)$ $I_{dx}(s)$ 1 С IaRef 🌗 BusRef u_{d} $I_{h}(s)$ $E_{h}(s)$ $E_c(s) - u_{dc} d_c(s)$ $d_c(s)$ $\frac{1}{u_{dx}}$ C -IaRef-BusVoltFeedBack

 $I_c(s)$



 $E_c(s)$

 $d_a(s)$

 $d_{h}(s)$

dq ordinate modeling

$$\begin{cases} L\frac{di_{a}}{dt} = e_{a} - \frac{u_{dc}}{3}(2d_{a} - d_{b} - d_{c}) \\ L\frac{di_{b}}{dt} = e_{b} - \frac{u_{dc}}{3}(2d_{b} - d_{a} - d_{c}) \\ L\frac{di_{c}}{dt} = e_{c} - \frac{u_{dc}}{3}(2d_{c} - d_{a} - d_{b}) \\ C\frac{du_{dc}}{dt} = (i_{a}d_{a} + i_{b}d_{b} + i_{c}d_{c}) - \frac{u_{dc}}{R} \end{cases}$$
Clark
Park
$$\begin{cases} L\frac{di_{d}}{dt} = u_{dc} \\ L\frac{du_{dc}}{dt} \\ L\frac{du_{dc}}{dt} = u_{dc} \\ L\frac{du_{dc}}{dt} \\ L\frac{d$$

$$\begin{cases} L\frac{di_d}{dt} = e_d - u_{dc}d_d + L\omega i_q \\ L\frac{di_q}{dt} = e_q - u_{dc}d_q - L\omega i_d \\ C\frac{du_{dc}}{dt} = \frac{3}{2}(i_dd_d + i_qd_q) - \frac{u_{dc}}{R} \end{cases}$$

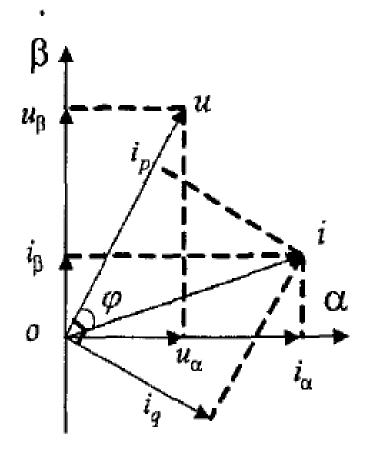
θ



Clark and Park Transfer

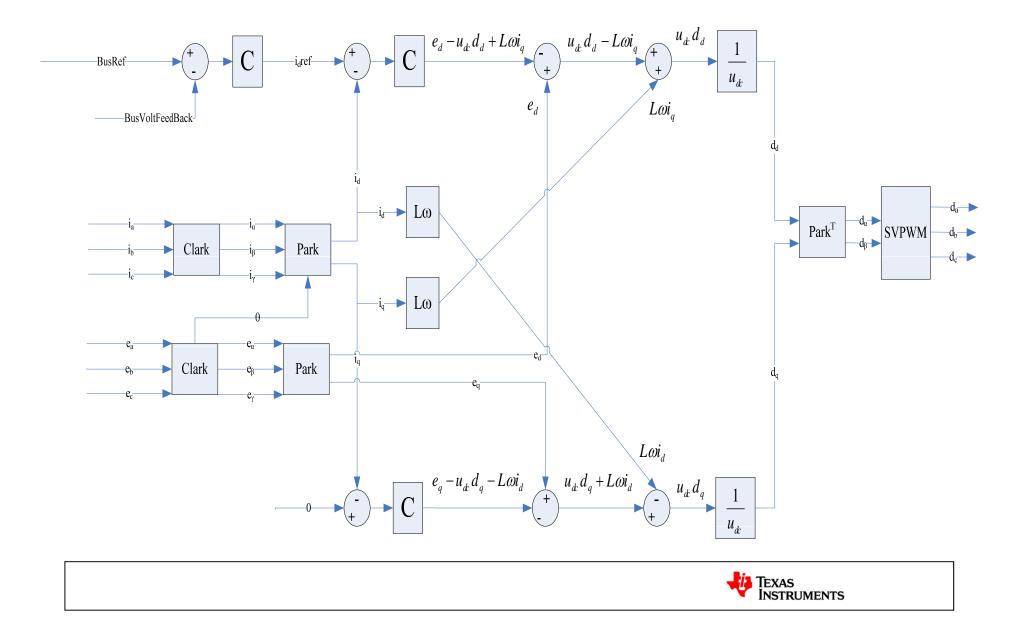
$$\begin{cases} V_a(t) = V_m \cos(\omega t + \alpha) \\ V_b(t) = V_m \cos(\omega t - 120^\circ + \alpha) \\ V_c(t) = V_m \cos(\omega t + 120^\circ + \alpha) \end{cases}$$

$$\begin{cases} I_a(t) = I_m \cos(\omega t + \alpha) \\ I_b(t) = I_m \cos(\omega t - 120^\circ + \alpha) \\ I_c(t) = I_m \cos(\omega t + 120^\circ + \alpha) \end{cases}$$





dq ordinate modeling

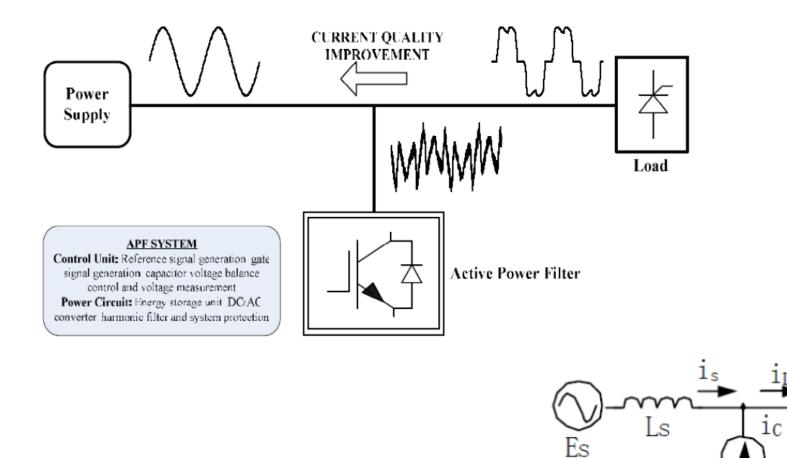


Content

- Introduction
- PFC Application
 - Modeling
 - Control Loop Structure
- APF Application
 - Modeling
 - Control Loop Structure
- *Unbalanced grid voltage treatment
- TI EVM Implementation

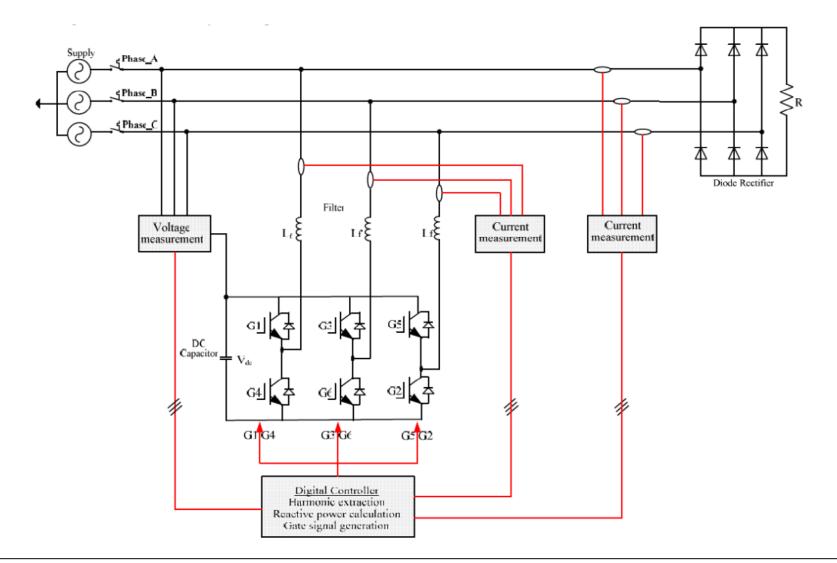


What's **APF**











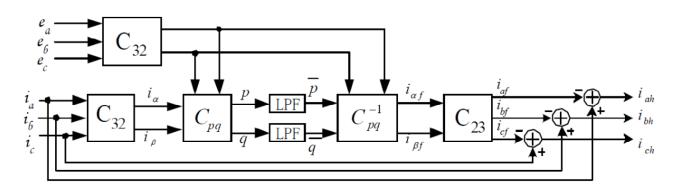
Key Techniques

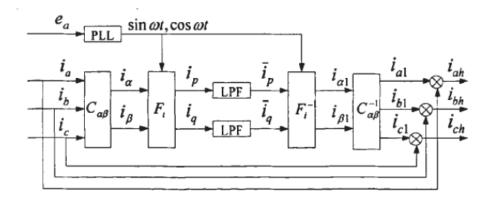
- Harmonic detection technique
 - Detection algorithm
 - Response time (The best product 10ms response time)
- Decrease the volume of APF
 - Only consider harmonic compensation
 Volume ≈ 25% of load power
 - Reactive power considered
 Volume ≈ 100% of load power
- Duplicated functionality of APF
 - Solar inverter + APF
- Paralleled APF
 - Different APF in charge of different range of Harmonic compensation



Harmonic detection

- Instantaneous reactive power theory*
- FFT

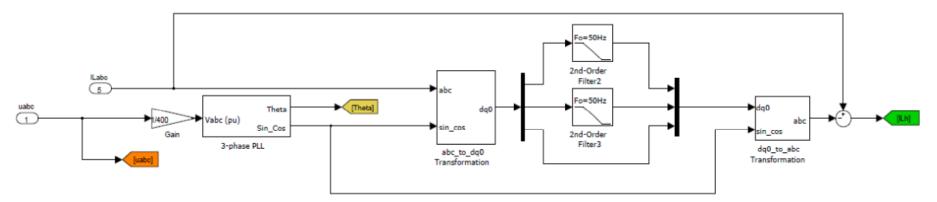


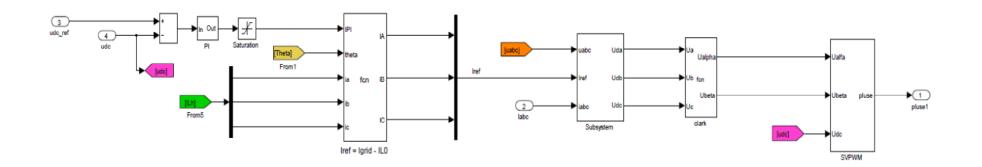




Control loop Schema

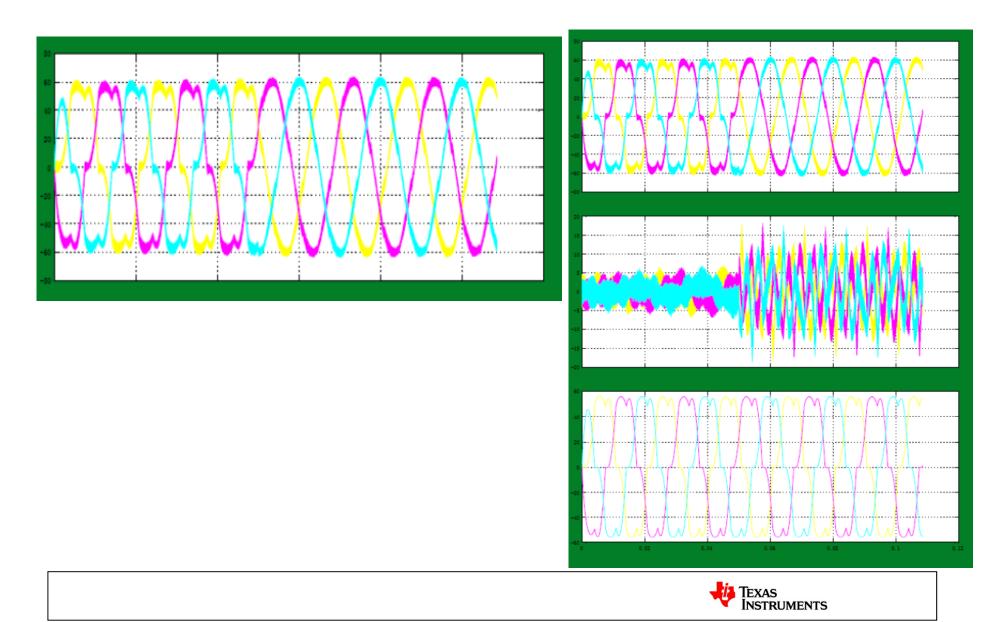
Control Loop of APF







Simulation Result



Content

- Introduction
- PFC Application
 - Modeling
 - Control Loop Structure
- APF Application
 - Modeling
 - Control Loop Structure
- *Unbalanced grid voltage treatment
- TI EVM Implementation



Unbalanced grid voltage

All the above control loop are build based on hypotheses : balanced three voltage!

But the reality is not so accurate.

* Positive and Negative sequence decomposition and control



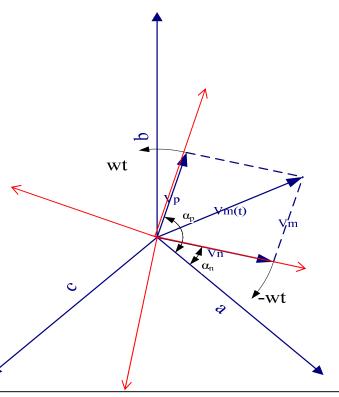
Respect to Dr C.L.FORTESCUE

- Dr C.L.FORTESCUE's research in 1918, <u>any unbalanced three vectors could be decomposed into a</u> <u>balanced positive sequence, a balanced negative</u> <u>sequence and a zero sequence</u>.
- Positive Sequence PARK:

 $Park^{p} = \begin{bmatrix} \cos \omega t & \sin \omega t \\ -\sin \omega t & \cos \omega t \end{bmatrix}$

• Negative Sequence PARK:

$$Park^{n} = \begin{bmatrix} \cos \omega t & -\sin \omega t \\ \sin \omega t & \cos \omega t \end{bmatrix}$$





Positive & Negative sequence decomposition

$$\begin{cases} V_{di}^{p}(t) = V_{p}\cos(\alpha_{p}) + V_{n}\cos(2\omega t + \alpha_{n}) \\ V_{qi}^{p}(t) = V_{p}\sin(\alpha_{p}) - V_{n}\sin(2\omega t + \alpha_{n}) \\ V_{di}^{n}(t) = V_{p}\cos(2\omega t + \alpha_{p}) + V_{n}\cos(\alpha_{n}) \\ V_{qi}^{n}(t) = V_{p}\sin(2\omega t + \alpha_{p}) - V_{n}\sin(\alpha_{n}) \end{cases} \begin{bmatrix} V_{di}^{p}(t) \\ V_{qi}^{n}(t) \\ V_{qi}^{n}(t) \end{bmatrix} * \begin{bmatrix} NotchFilter \end{bmatrix} = \begin{cases} V_{d}^{p}(t) = V_{p}\cos(\alpha_{p}) \\ V_{q}^{p}(t) = V_{p}\sin(\alpha_{p}) \\ V_{di}^{n}(t) \\ V_{qi}^{n}(t) \end{bmatrix}$$

$$\begin{cases} I_{di}^{p}(t) = I_{p}\cos(\alpha'_{p}) + I_{n}\cos(2\omega t + \alpha'_{n}) \\ I_{qi}^{p}(t) = I_{p}\sin(\alpha'_{p}) - I_{n}\sin(2\omega t + \alpha'_{n}) \\ I_{di}^{n}(t) = I_{p}\cos(2\omega t + \alpha'_{p}) + I_{n}\cos(\alpha'_{n}) \\ I_{qi}^{n}(t) = I_{p}\sin(2\omega t + \alpha'_{p}) - I_{n}\sin(\alpha'_{n}) \end{cases} \begin{bmatrix} I_{di}^{p}(t) \\ I_{qi}^{p}(t) \\ I_{qi}^{n}(t) \end{bmatrix} * \begin{bmatrix} NotchFilter \end{bmatrix} = \begin{cases} I_{d}^{p}(t) = I_{p}\cos(\alpha'_{p}) \\ I_{q}^{p}(t) = I_{p}\sin(\alpha'_{p}) \\ I_{di}^{n}(t) \\ I_{qi}^{n}(t) \end{bmatrix}$$



Content

- Introduction
- PFC Application
 - Modeling
 - Control Loop Structure
- APF Application
 - Modeling
 - Control Loop Structure
- *Unbalanced grid voltage treatment
- TI EVM Implementation



Specifications

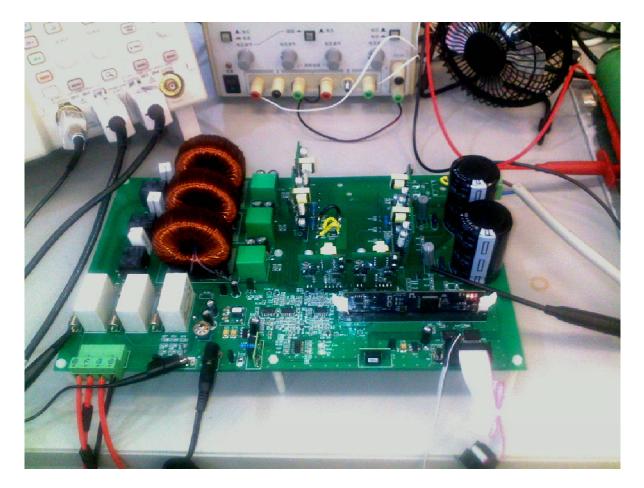
• 3-phase PFC EVM basic specification

- 3 phase 4 wire(or 3wire) input
- 1200W @ 380VAC/50Hz
- Output Voltage: 700VDC
- Efficiency: >95%
- THDi<5% @ Full load
- Current unbalance ratio: <3%
- Power Factor > 0.99 @ >50% Load
- Piccolo B
- GUI support



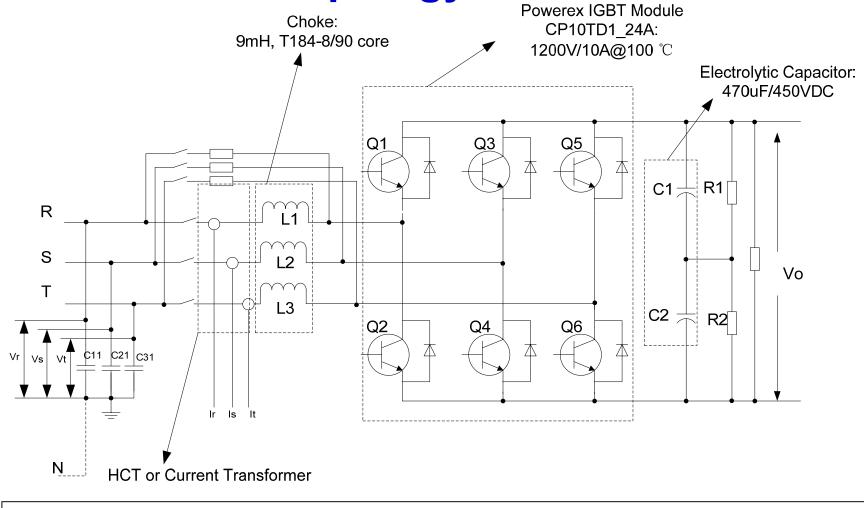
3-phase PFC EVM

• 3-phase PFC EVM Picture





• Main circuit topology





Main circuit considerations

1.Switch Frequency ---- 20kHz.

For motor control application, the Fs can be reduced to 10kHz, and the choke size will be bigger and the inductance is higher.

2. IGBT

1200V IGBT must be used in this topology, because the maximum voltage between the Vce is over 700V in theory. Actually, the 30% margin need to be considered.

3. Electrolytic Capacitor

The output DC voltage is larger than 600VDC in 380VAC system, then we must use 2 electrolytic capacitors in series.

- 4. Current sensing ---- HCT need to be used for current controller. 2 HCTs at least.
- 5. Line voltage sensing --- Line- Neutral voltage(or Line to Line) need to be sensed



Auxiliary Power

The project did not design a three phase input auxiliary power for the system, all the power is from the external +15V adapter.

- The +5V is generated by the PTH08080 with the +15V input
- The +3.3V is generated by the TLV1117-33, with the +5V input
- The -15V used by the HCT, is generated by the DCH010515S with +5V input.



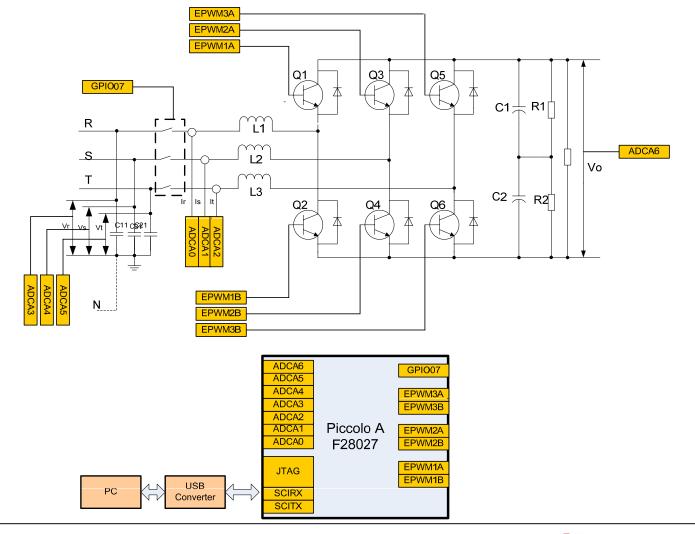
Soft start circuit

When the line voltage connect to the board, the bus capacitor will be charged by the soft start circuit, and the voltage will rise to about 300V. The soft start must be finished before the converter start to work. In order to charge the bus in a limited current, there is a 1k/5w resistor in each phase. Besides, 3 relays are used to connect the line input to softstart circuit.



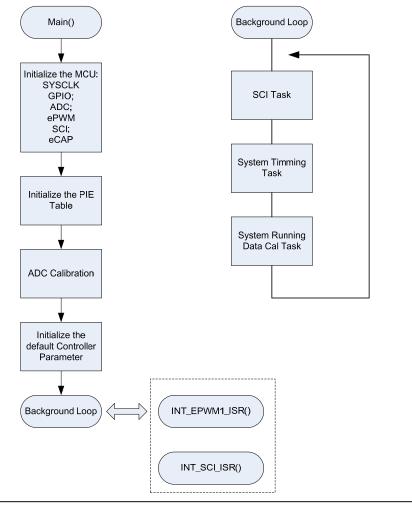
Hardware Description

• MCU interface



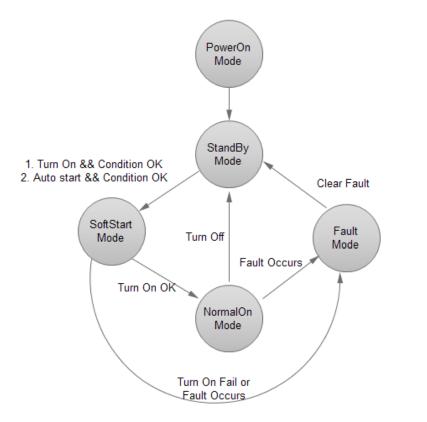


Software Flow



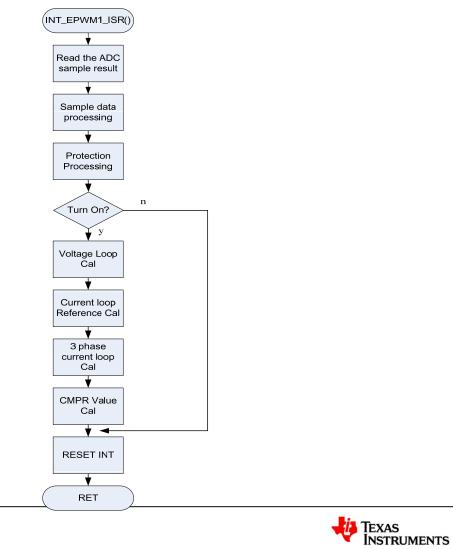


•System Timing – Status machine

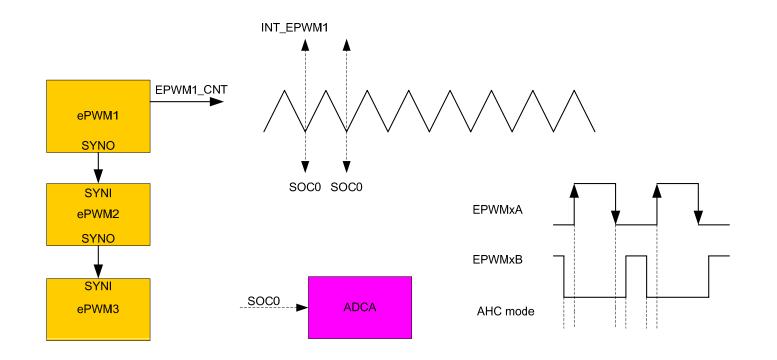




Software Flow



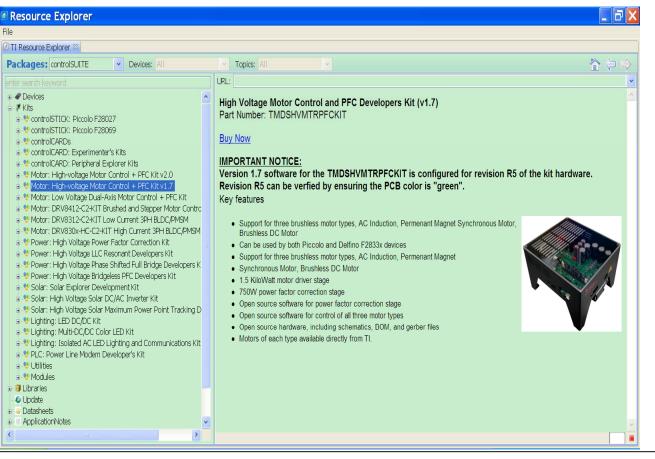
• ADC & ePWM





Control SUITE

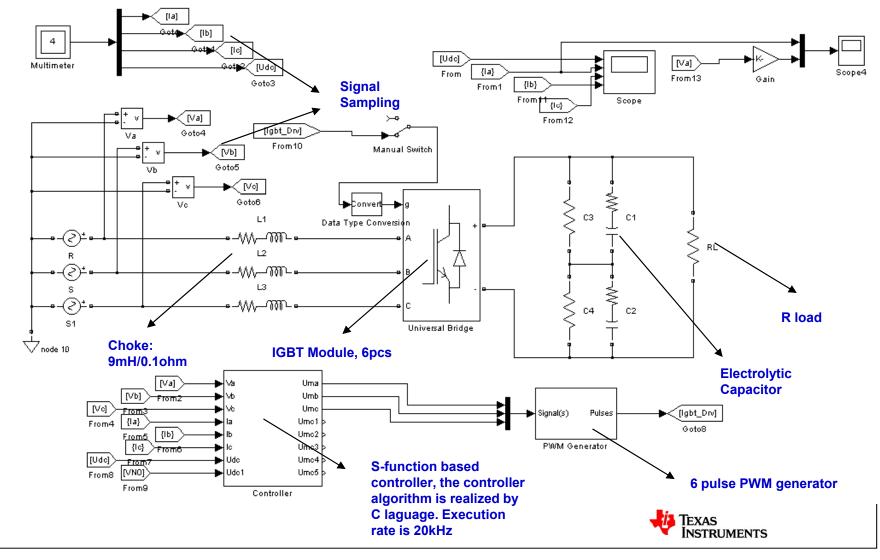
 <u>http://www.ti.com/mcu/docs/mcuproductcontentnp.tsp?sec</u> <u>tionId=95&familyId=916&tabId=2656</u>





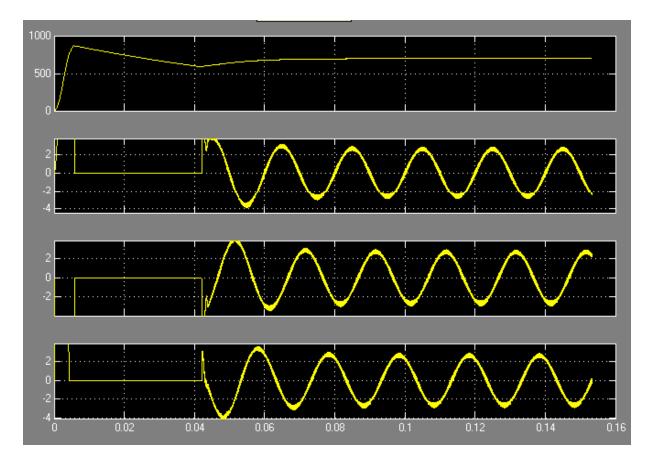
Simulation

The simulation diagram



Simulation Result

The simulation result



CH1: Vdc CH2: R phase current CH3: S phase current CH4: T phase current

Conditions:

1. Directly input the line voltage to the converter from 0~0.04s;

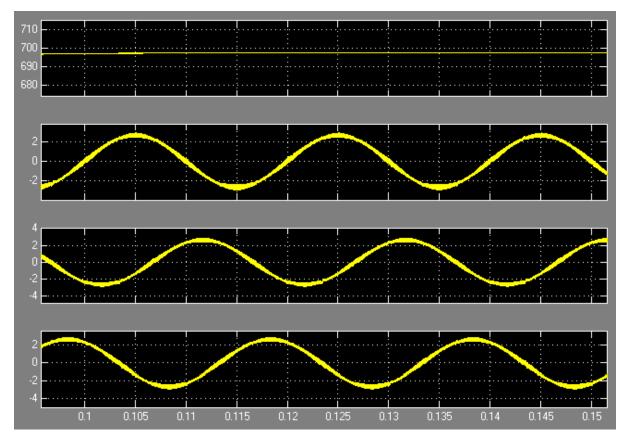
2. At 0.04s, step to 700Vdc reference;

3. Full load.



Close loop Controller Design

The simulation result --- Stable state



CH1: Vdc CH2: R phase current CH3: S phase current CH4: T phase current

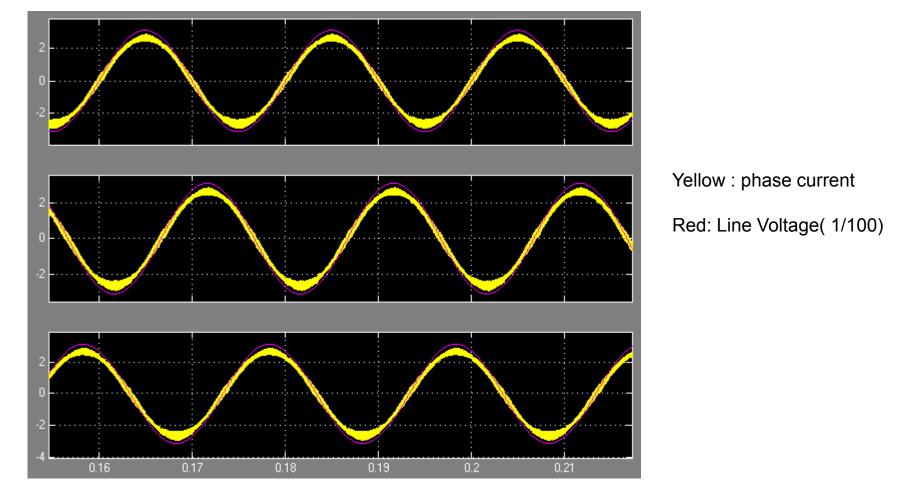
Conditions:

Full load at stable state.



Close loop Controller Design

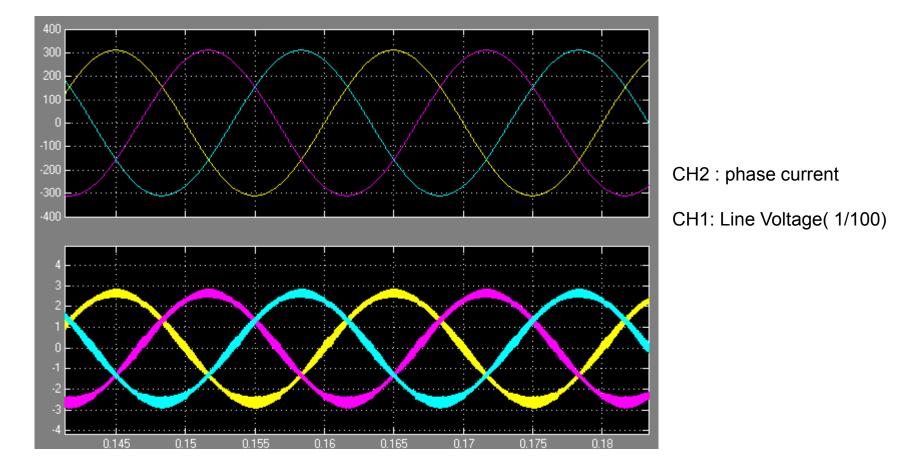
• The simulation result --- Stable state





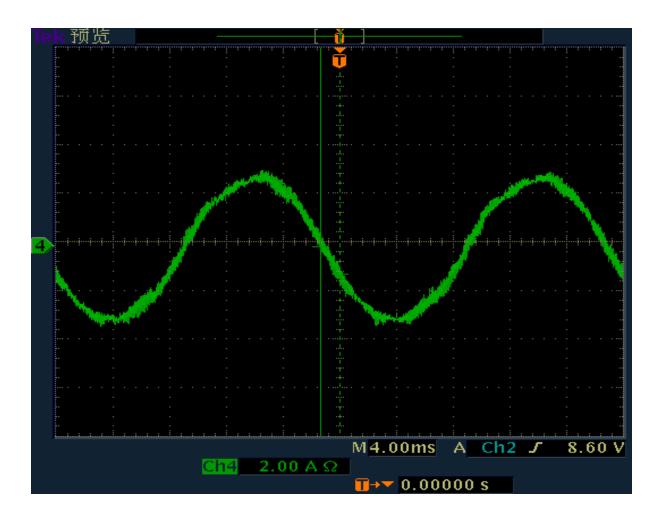
Close Loop Controller Design

The simulation result --- Stable state





EVM Performance







EVM Performance

Chr	oma			ANAL	YZER 663	0		2012.05.20
Current Harmonics								
Setup: D Live Module:	Analı Nol Note	U : 219.70 V fu: 50.024 Hz Analysed periods: 4 I : 2.098 A P: 0.460 kW No limit chosen I1: 2.097 A Note: THD=3.26 % (PF=0.998)						
No	A	deg	No	A	deg	No		
2 3 4 5 6 7 8 9 10 11 12 13	2.097 0.032 0.021 0.028 0.014 0.005 0.029 0.011 0.011 0.011 0.004 0.003 0.008 0.008 0.008	0 176 70 -20 -32 172 98 -10 -35 -140 -47 46 -128 -117	15 16 17 18 19 20 21 22 23 24 25 26 27 28	0.006 0.010 0.015 0.008 0.007 0.006 0.008 0.007 0.001 0.008 0.003 0.003 0.003 0.007 0.004 0.004	-97 68 32 -91 21 105 59 -60 158 126 1 158 126 1 -119 -156	29 30 31 32 33 34 35 36 37 38 39 40	0.004 0.005 0.006 0.004 0.003 0.003 0.002 0.003 0.004 0.002 0.003 0.003 0.003	109 27 -81 -116 64 75 -84 161 -10 -26





Thanks!

