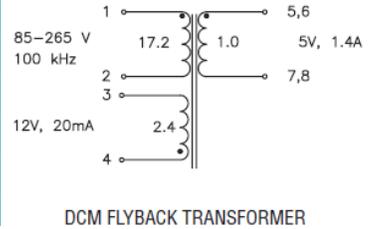


$N_{ps(max)} = 49.1$, that is pretty large

I was thinking about this one from Pulse Electronics

PA3965.002NL	Pri. Inductance	(1-2)	680µH ±15%
		(1-2)	544µH Min @ 0.7A
	Lk. Inductance	(1-2) with (3,4,5,8) shorted	15µH MAX
	DCR	(1-2)	1870mΩ MAX
		(3-4)	290mΩ MAX
		(5-8)	250mΩ MAX
Hi-Pot	Pri-Sec	5000Vrms	



So my $N_{ps} = 17.2$

Rather than continuing with the selection of RCS value I realized I already also defined the primary inductance with the selection of this transformer.

$L_p = 544 \mu H$

This is a significant lower inductance compared to the one I get with the equations.

I use the equation below to calculate the peak primary current.

$$L_p = \frac{2(V_{OCV} + V_F + V_{OCBC}) \times I_{OCC}}{\eta_{XFMR} \times I_{PP(max)}^2 \times f_{MAX}}$$

$\eta_{XFMR} = 0.9$, they said it was a good approximation

$I_{PP(max)} = 242 \text{ mA}$

So for my very small output power it is fine to use a lower inductance on the primary and allow the peak current to be higher, is it?

$$I_{PP(max)} = \frac{V_{CST(max)}}{R_{CS}}$$

$V_{CST(max)} = 735 \text{ mV}$

$R_{CS} = 3.0 \text{ ohm}$, standard e24

I'm not completely certain about the verification of the minimum on time, should the calculated value be higher OR lower than the 300 ns specification? And what do I need to use for $V_{CST(min)}$ the min, typ or max specification? And $V_{CST(max)}$?

$V_{CST(max)}$	Max CS threshold voltage	$V_{VS} = 3.7 \text{ V}$	735	780	815	mV
$V_{CST(min)}$	Min CS threshold voltage	$V_{VS} = 4.35 \text{ V}$	175	190	215	

For both typical I get:

$$t_{ON(min)} = \frac{L_p}{V_{IN(max)} \times \sqrt{2}} \times \frac{I_{PP(max)} \times V_{CST(min)}}{V_{CST(max)}}$$

$V_{IN(max)} = 230 + 15\% = 230 \times 1.15 = 264.5$

$t_{ON(min)} = 85.7 \text{ ns}$

Also for the next check. Does the calculated value for $t_{DMAG(min)}$ be higher OR lower than the 1.2 us specification? And which t_{ON} value do I need to use in the equation.

$$t_{\text{DMAG}(\text{min})} = \frac{t_{\text{ON}} \times V_{\text{IN}(\text{max})} \times \sqrt{2}}{N_{\text{PS}} \times (V_{\text{OCV}} + V_{\text{F}})}$$

I hope I can get answers to there questions. So I have a better change it works when I made it.

Best regards,
Maarten